# SearchWing - Search Area Calculations <br> Compute the achievable search area of the searchwing drone and compare achievable areas with the Sea-Watch 3 vessel and the Moonbird plane 

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Searching for people in distress in the mediterranean sea is today done via observation from the search vessels, e.g. Sea-Watch 3 with binoculars and radar or with searching with a plane which is based in Malta (Moonbird). This report calculates the achievable search areas for a vessel and a plane and compares them with the search areas than can be searched with the SearchWing unmanned aerial vehicle.

## 1 Introduction

In 2016 over 5000 humans died in the mediterranean sea when they tried to reach Europe by sea. Private search and rescue organizations like Sea-Watch, Sea-Eye and ResQShip operate vessels to find ships in distress on the mediterranean sea to rescue humans.


Figure 1: Search area in the central mediterranean sea (Mapsource: OpenStreetMap)
Figure 1 depicts the search area where boats typically are found in distress on the route from Libya to Europe. The distance from Libya to Lampedusa is around 300 km and the distance to Malta is 400 km . The distance from Malta to the search area is around 300 km (not depicted).

## 2 Assumptions

I compare search operations with parameters according to the International Aeronautical and Maritime Search and Rescue (IAMSAR) Manual [1].

- Object to search is a six person liferaft
- Visibility is 10 nautical miles
- Wind is below $28 \mathrm{~km} / \mathrm{h}$, Seawaves $0-1 \mathrm{~m}$

Table 1: Sweep widths W for vessels and planes in km

| Vehicle | Sweep Width in km | Source |
| :--- | :---: | :--- |
| Merchant Vessel | 9,3 | IAMSAR Table N-4 |
| Plane at altitude 600 m | 4,3 | IAMSAR Table N-6 |

## 3 Sea Watch 3

Table 2: Technical parameter of the Sea Watch 3 vessel

| Parameter | Value |
| :--- | :--- |
| length | $50,35 \mathrm{~m}$ |
| width | $11,58 \mathrm{~m}$ |
| draft | $3,56 \mathrm{~m}$ |
| Motor | $2 \times 845 \mathrm{~kW}$ |
| Maximum speed | $19 \mathrm{~km} / \mathrm{h}$ |

The typical consumption of a Diesel engine is $200 \mathrm{~g} / \mathrm{kWh}$. Therefore we need $2 \cdot 845 \mathrm{~kW} \cdot 0,2 \mathrm{~kg} / \mathrm{kWh}=$ 338 kg Diesel per hour at full power. The power consumption of the vessel is a cubic function of the vessel speed. As the drag power is proportional to the velocity

$$
\begin{equation*}
P=F \cdot v=\frac{1}{2} c_{W} \rho A v^{2} \cdot v=\frac{1}{2} c_{W} \rho A v^{3} \tag{1}
\end{equation*}
$$

The Sea-Watch 3 has a maximum speed of $19 \mathrm{~km} / \mathrm{h}$. I assume a cruise speed v of $10 \mathrm{~km} / \mathrm{h}$ because then the power consumption is only $15-30 \%$ of the consumption at full speed. The covered search area is therefore

$$
\begin{equation*}
A=W v t \Rightarrow \frac{A}{t}=W v=9,3 \mathrm{~km} \cdot 10 \mathrm{~km} / \mathrm{h}=93 \mathrm{~km}^{2} / \mathrm{h} \tag{2}
\end{equation*}
$$

$93 \mathrm{~km}^{2}$ per hour according to equation 2. Assuming that search can only be done during daylight I assume ten hours daylight per day. The search area per day is therefore:

$$
\begin{equation*}
93 \mathrm{~km}^{2} / \mathrm{h} \cdot 10 \mathrm{~h} / \mathrm{d}=930 \mathrm{~km}^{2} / \mathrm{d} \tag{3}
\end{equation*}
$$

## 4 Moonbird

Sea-Watch e.V. and the Human Pilot Initiative (HPI) operate a Cirrus SR22 plane which is located in Malta. The top speed $185 \mathrm{kts}(=340 \mathrm{~km} / \mathrm{h})$. The maximum operational range including safety margin is 1108 nautical miles $(2050 \mathrm{~km})$ at $154 \mathrm{kts}(=285 \mathrm{~km} / \mathrm{h})$ corresponding to a flight duration of 7,1 hours [2, p. 5-26]. The distance from Malta to the search area is 300 km . So the plane is travelling 2,1 hours to and from the search area and has $\mathrm{LS}=1452 \mathrm{~km}$ or 5 hours left in the search area for search operations. The covered search area per hour is therefore

$$
\begin{equation*}
\frac{A}{t}=W v=4,3 \mathrm{~km} \cdot 285 \mathrm{~km} / \mathrm{h}=1225 \mathrm{~km}^{2} / \mathrm{h} \tag{4}
\end{equation*}
$$

The total search area for one flight is given in equation 5

$$
\begin{equation*}
A=W \cdot L S=4,3 \mathrm{~km} \cdot 1452 \mathrm{~km}=6243 \mathrm{~km}^{2} \tag{5}
\end{equation*}
$$

One flight costs about 2500 Euros. One flight per day ist realistic, i.e that is the coverage per day.

## 5 SearchWing UAV

The searchwing UAV has a cruise speed of approx. $50 \mathrm{~km} / \mathrm{h}$.

### 5.1 Camera System

The camera is the Raspberry Pi Camera V2.1 [3]. The specs are given in table 3 .

Table 3: Technical parameters of Raspberry Pi V2.1 Camera

| Parameter | Value |
| :--- | :--- |
| sensor | Sony IMX219 |
| resolution | $3280 \times 2464$ pixels |
| optical size | $1 / 4^{\prime \prime}(1$ inch $=25.4 \mathrm{~mm}, 1 / 4 \mathrm{inch}=6.35 \mathrm{~mm})$ |
| sensor size | $3.68 \mathrm{~mm} \times 2.76 \mathrm{~mm}$ (diagonal 4.6 mm$)$ |
| horizontal field of view | $62.2^{\circ}$ |
| vertical field of view | $48.8^{\circ}$ |
| focal length | 3.04 mm |

For objects which are far away, the image is displayed at the focal length of the lens. The horizontal and vertical field of view can therefore be computed from the sensor dimensions and the focal length of the camera.

$$
\begin{align*}
& h f o v=2 \arctan \left(\frac{s w}{2 f l}\right)=2 \arctan \left(\frac{3.68 m m}{2 \cdot 3.04 m m}\right)=62.2^{\circ}  \tag{6}\\
& v \text { fov }=2 \arctan \left(\frac{s h}{2 f l}\right)=2 \arctan \left(\frac{2.76 m m}{2 \cdot 3.04 m m}\right)=48.8^{\circ} \tag{7}
\end{align*}
$$

### 5.2 Camera looking straight down

For a camera that points straight down, the width on the ground is given by the flight height h and the horizontal field of view. Figure 2 depicts the width of the image with a flight altitude h. The angle $\alpha$ is derived from the horizontal field of view $\left(62.2^{\circ} / 2=31.1^{\circ}\right)$. This width w covers the complete horizontal sensor area, i.e. the full 3280 pixels.


Figure 2: Raspberry Pi Camera V2.1 pointing down - width w at ground

The width w , the length l and the ground resolution g is now a function of the flight altitude h .

$$
\begin{align*}
w & =2 \cdot \tan (\alpha) \cdot h=2 \cdot \tan \left(31^{\circ}\right) * h=1.2 * h  \tag{8}\\
l & =2 \cdot \tan (\beta) \cdot h=2 \cdot \tan \left(24.4^{\circ}\right) * h=0.9 * h  \tag{9}\\
g & =w / 3280 p x=2 \cdot \tan (\alpha) \cdot h / 3280 \tag{10}
\end{align*}
$$

Table 4 show the image size on the ground and the ground resolution for the Rasperry Pi Cam v2.1. w is the image width and l is the image height. h ist the flight altitude of the plane above ground.

Table 4: Ground image for Raspberry Cam v2.1

| $\mathrm{h} / \mathrm{m}$ | $\mathrm{w} / \mathrm{m}$ | $\mathrm{l} / \mathrm{m}$ | Ground resolution $\mathrm{cm} / \mathrm{px}$ |
| :---: | :---: | :---: | :---: |
| 100 | 120 | 90 | 3.66 |
| 150 | 180 | 135 | 5.5 |
| 550 | 660 | 495 | 20 |
| 800 | 960 | 720 | 29 |
| 1100 | 1320 | 990 | 40 |

Table 4 is based on the default raspberry pi camera v2.1 parameters, i.e. a horizontal field of view of $62^{\circ}$. If the raspberry camera would be modified with another lens, e.g. an M12 lens, then the FOV is changed and the table above looks different.

### 5.3 Camera looking to the side

If the camera does not look directly down to the sea surface, then the ground resolution changes in the image due to the perspective. Figure 3 shows the scenario of a raspberry pi camera with a horizontal field of view of $62^{\circ}$. The camera looks $\gamma=40^{\circ}$ to the side. The ground resolution at point A is higher than the ground resolution at point B which is further away from the camera. Point V is an example point in the field of view of the camera. Point V has an inclination of angle $\phi$ with respect to the direct line to the ground OD. The angle with respect to the view angle of the camera is $\beta$.

Each pixel on the ground corresponds to a an image plane with a different distance between point on the ground and camera. An example image plane is shown for point $M$. The image plane is perpendicular to the OM line. For point V the image plane is closer to the camera and is defined by the line VS. Table 6 explains the different points, angles and distances in figure 3 .


Figure 3: Raspberry Pi Camera V2.1 looking 40 degrees to the side

Table 5: Explanation of markers in the figure

| Name | Comment |
| :---: | :--- |
| O | Position of the camera at the plane |
| D | Position on the ground directly below the plane |
| M | Intersection of the ground and the direct view from camera |
| A | Closest point to D shown on camera. Highest resolution |
| B | Last point shown on camera. Lowest resolution |
| V | Example view point on camera image |
| S | Intersection of camera view angle and mage plane defined by view point V |
| w | Distance between A and B is the visible horizontal width for the camera |
| h | Distance OD. Altitude of the camera above ground |
| m | Distance OM between horizontal middle pixel and camera |
| v | Distance OV between camera and view point V |
| s | Distance OS from image plane for point V and camera |
| $\gamma$ | View angle of the camera, i.e. the tilt of the camera |
| $\alpha$ | Half the horizontal field of view, i.e. 31 degrees for the Pi camera |
| $\phi$ | Angle for the view point V |
| $\beta$ | $\phi+\beta=\gamma$ |

The ground resolution is different for each pixel and is defined by the image plane which intersects with the point on the ground. The closer the image plane is to the camera, the higher is the resolution on the ground. The resolution for the image plane can be calculated according to the previous chapter. The modification is that the relevant distance between camera and image plane is $\mathrm{OS}=\mathrm{s}$ for point V in the example of figure 3. V is defined by angle $\phi$. So s is a function of V and hence $\phi$. Equation 11 shows the ground resolution for point V .

$$
\begin{equation*}
g(V)=2 \cdot \tan (\alpha) \cdot s / 3280 \tag{11}
\end{equation*}
$$

The length s can be calculated when distance $\mathrm{OV}=\mathrm{v}$ is known.

$$
\begin{align*}
\cos (\phi) & =\frac{h}{v} \Rightarrow v=\frac{h}{\cos (\phi)}  \tag{12}\\
\cos (\beta) & =\frac{s}{v} \Rightarrow s=v \cos (\beta)  \tag{13}\\
\Rightarrow s & =\frac{h \cdot \cos (\beta)}{\cos (\phi)}  \tag{14}\\
\beta & =\gamma-\phi  \tag{15}\\
\Rightarrow s & =\frac{h \cdot \cos (\gamma-\phi)}{\cos (\phi)} \tag{16}
\end{align*}
$$

Equation 16 gives the distance s from the camera to the image plane for point V in the figure. Taking equation 16 for s together with equation 11 we can calculate the ground resolution for point V when V is defined by the angle $\phi$.

$$
\begin{equation*}
g(V)=2 \cdot \tan (\alpha) \cdot \frac{h \cdot \cos (\gamma-\phi)}{3280 \cdot \cos (\phi)} \tag{17}
\end{equation*}
$$

The width w of the horizontal camera view ist the distance between the points A and B. Point V becomes point A when $\phi=\gamma-\alpha$. Point V becomes B when $\phi=\gamma+\alpha$. The distance DV is given by equation 19

$$
\begin{array}{r}
\tan (\phi)=\frac{D V}{h} \\
\Rightarrow D V=h \cdot \tan (\phi) \tag{19}
\end{array}
$$

Therefore the width w can be computed from the difference of DB and DA according to equation 22.

$$
\begin{align*}
D A & =h \cdot \tan (\gamma-\alpha)  \tag{20}\\
D B & =h \cdot \tan (\gamma+\alpha)  \tag{21}\\
w & =D B-D A=h(\tan (\gamma+\alpha)-\tan (\gamma-\alpha)) \tag{22}
\end{align*}
$$

Table 6 shows the angles, resolutions and distances for different angles angles and altitudes. Note that the ground resolutions and the distances scale with altitude. The distances and the resolution is given in meter. The angles are given in degrees. For example the line with altitude 550 m and camera inclination angle $\gamma$ of 40 degrees shows that point A has an angle $\phi$ of 9 degrees and point B 71 degrees. At point A the ground resolution is $17.5 \mathrm{~cm} /$ pixel. At point M the ground resolution is $26.3 \mathrm{~cm} /$ pixel and at point B the resolution is $53.1 \mathrm{~cm} /$ pixel. The distance of point D to A is 87 m and the distance of D to B is 1597 m . This gives an observed image width of 1510 m . If there were two cameras on the plane where on would look to the right and the other looks to the left, then a gap of $2 * 87 \mathrm{~m}=174 \mathrm{~m}$ directly below the plane would not be observed by both cameras.
With inclination of 31 degrees and two cameras where on looks to the left and the other to the right, the distance to point A is zero, i.e. there would be no gap. The width for each camera would be 1034 m and the worst resolution at point B is $36.8 \mathrm{~cm} /$ pixel. This would give a total image width of 2068 m .

Table 6: Resolutions and distances for camera looking to the side

| Altitude | $\gamma$ | $\phi$ for A | $\phi$ for B | Res. A | Res. M | Res. B | DA | DM | DB | w |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 100 | 31 | 0 | 62 | 0.031 | 0.043 | 0.067 | 0.0 | 60 | 188 | 188 |
|  | 35 | 4 | 66 | 0.031 | 0.045 | 0.077 | 7 | 70 | 225 | 218 |
|  | 40 | 9 | 71 | 0.032 | 0.048 | 0.096 | 16 | 84 | 290 | 275 |
|  | 45 | 14 | 76 | 0.032 | 0.052 | 0.130 | 25 | 100 | 401 | 376 |
|  | 50 | 19 | 81 | 0.033 | 0.057 | 0.201 | 34 | 119 | 631 | 597 |
|  | 55 | 24 | 86 | 0.034 | 0.064 | 0.450 | 45 | 143 | 1430 | 1386 |
|  | 58 | 27 | 89 | 0.035 | 0.069 | 1.799 | 51 | 160 | 5729 | 5678 |
| 550 | 31 | 0 | 62 | 0.173 | 0.235 | 0.368 | 0 | 330 | 1034 | 1034 |
|  | 35 | 4 | 66 | 0.173 | 0.246 | 0.425 | 38 | 385 | 1235 | 1197 |
|  | 40 | 9 | 71 | 0.175 | 0.263 | 0.531 | 87 | 461 | 1597 | 1510 |
|  | 45 | 14 | 76 | 0.178 | 0.285 | 0.714 | 137 | 550 | 2205 | 2069 |
|  | 50 | 19 | 81 | 0.183 | 0.313 | 1.104 | 189 | 655 | 3473 | 3283 |
|  | 55 | 24 | 86 | 0.189 | 0.351 | 2.476 | 245 | 785 | 7865 | 7620 |
|  | 58 | 27 | 89 | 0.194 | 0.380 | 9.897 | 280 | 880 | 31509 | 31229 |

### 5.4 Search Area

The current camera looks straight down and will cover a width of 660 m with a ground resolution of $20 \mathrm{~cm} /$ pixel at an altitude of 550 m according to table 4. I assume that this corresponds to the sweep width of the system, i.e. every boat will be detected in this 660 m wide corridor. Each flight may have a distance of 100 km . Within the range of approx. 4km around the launching vessel, any boat will be detected by the crew anyway. Therefore I subtract 8 km for each flight. The effective distance is therefore $100 \mathrm{~km}-8 \mathrm{~km}=92 \mathrm{~km}$. With a sweep width of 660 m , each flight will cover a useful search area of

$$
\begin{equation*}
A_{\text {flight }}=s w \cdot d=0.66 \mathrm{~km} \cdot 92 \mathrm{~km}=60 \mathrm{~km}^{2} \tag{23}
\end{equation*}
$$

Assuming a cruise speed of $50 \mathrm{~km} / \mathrm{h}$ each flight will take around 2 hours. Assuming 10h daylight operation and zero time for battery change, this will allow 5 flights per day. Overall this will allow to search an area of $5 \cdot 60 \mathrm{~km}^{2}=300 \mathrm{~km}^{2}$ per day.

Compared to the Moonbird ( 4.3 km ) and the Seawatch $(9.3 \mathrm{~km})$ the sweep width of 660 m of the UAV is small. The total search area will scale directly with this sweep width, i.e. doubling the sweep width from 660 m to 1320 m will double the search area to $600 \mathrm{~km}^{2}$.

## 6 Search Theory

The International Aeronautical and Maritime Search and Rescue Manual [1, gives guidelines for search and rescue operations. The theory of search gives a model of detecting an object which is based on the probability of detection (POD) which depends on the distance between the object and the sensor. One model derived in the 40 s is the Koopmann inverse cube model [4, Section 4.6] [5, p. 21]. The inverse cube model is based on the following model idea.
a) the search objects are warships
b) the search is done with an aircraft with height h above the ocean
c) the ship is detected by the observer in the aircraft sighting the ships wake
d) the instantaneous (one glimpse) probability $\gamma$ of sighting the ships wake is proportional to the solid angle subtended at the observers eye by the wakes visible area

Figure 6 shows the scenario for the inverse cube model. The observer at location O is distance $h$ above the ocean. The length $a$ is the objects surface length in this dimension at the sea. The model is that this is wake, i.e. the object is flat on the sea surface. The assumption is that angle $\alpha$ is small, i.e. that the area covered by the object is small in comparison to the total field of view. The total area on the surface is $A=a b$. The visible area from the observer is $A_{v}=c b$.


Figure 4: Inverse cube model - Observing the ocean from above
For small angles, the angle in radian can be approximated. If a is small compared to $h$ and $r$, then the triangles become similar and equation 24 becomes valid. Therefore $\alpha$ can be expressed in terms of $h$ and $s$.

$$
\begin{array}{r}
\alpha=\frac{c}{s}, \beta=\frac{b}{s}, \frac{c}{a}=\frac{h}{s} \\
\alpha=\frac{c}{s}=\frac{h a}{s^{2}} \tag{25}
\end{array}
$$

The solid angle $\Omega$, i.e. the angle area in the field of view is the product of $\alpha$ and $\beta$ as described in 26. The assumption is that the glimpse probability to detect the object $\gamma$ is proportional to $\Omega$. Therefore the instanteneous probability is as described in equation 27 .

$$
\begin{array}{r}
\Omega=\alpha \beta=\frac{h a b}{s^{3}} \\
\gamma=k \Omega=k \alpha \beta=k \frac{h a b}{s^{3}}=k \frac{h A}{\left(h^{2}+r^{2}\right)^{\frac{3}{2}}} \tag{27}
\end{array}
$$

The constant $k$ describes all other factors that are relevant for detection like color or contrast. Equation 27 is called Koopmans inverse cube law. With this rule, the chance to detect an object is proportional to the size of the object but it reduces with the inverse of the cube of the distance between observer and object. Figure 6/sketches the inverse cube model for the instantenous detection probability of an object.

During the search operation there are several opportunities to detect the object. For a human visual search this corresponds to a fixation period of the human eye of about 250 ms . Assuming a non moving ship S and an observer search aircraft with a velocity $w$ travelling a straight line, then


Figure 5: Koopmans Inverse Cube Model - Probability to detect an object in one glimpse as a function of size and distance
the aircraft will pass the object with minimum distance $x_{\min }$ at a point $O_{\text {min }}$. However on the whole path there is possibility to detect the ship S , although at other positions O , the distance between ship and observer is larger than $x_{\text {min }}$.


Figure 6: Oberser travels on a straight path with velocity $w$ with minimum distance to ship S equal to $x_{\text {min }}$

The total probability to detect the ship is the integral of the instanteneous probability $\gamma$ over the whole path. The result is given in equation 28 (5)

$$
\begin{equation*}
p(x)=1-e^{-\frac{2 k h}{w x^{2}}} ; \tag{28}
\end{equation*}
$$

Figure 7 shows the resulting probability of detection when an observer travels a straight line passing an object at minimum distance x . This does not mean that the object is detected at the minimum distance. The object might be detected at any point on the line but when the distance increases, the probability decreases.

The curve in figure 7 is an example of a lateral range curve. The curve basically depends on the sensors characteristics. Another lateral range curve is the definite range curve depicted in figure 8 , Every object in a range of $\mathrm{R}=4 \mathrm{~km}$ will be detected with $100 \%$ certainty. All objects with a higher distance than 4 km will definitely not be detected.
In order to compare sensors with different characteristics, the sweep width W is introduced. When travelling over an area with an equal random object distribution, sensors with the same sweep width will find the same number of objects on average when they have the same sweep width W. Sensors with a lower sweep width will find less objects. The sweep width is defined as the integral over the


Figure 7: Probability to detect an object that has a minimum distance x from the observer


Figure 8: Definite Range Curve
lateral range curve. Therefore the sweep width of the lateral range type sensor is

$$
\begin{equation*}
W=2 * R \tag{29}
\end{equation*}
$$

The inverse cube model type sensor has a sweep width of

$$
\begin{equation*}
W=\int_{-\infty}^{\infty} p(x) d x=\int_{-\infty}^{\infty} 1-e^{-\frac{2 k h}{w x^{2}}} d x=2 \sqrt{\frac{2 \pi k h}{w}} \tag{30}
\end{equation*}
$$

which predicts an unlimited increase of sweep width when just the height of the plane is increased. This is obviously not correct. Figure 9 shows a definite range sensor and an inverse cube model type sensor which have both the same sweep width W of 5 km .

## 7 Conclusion

Comparing the search areas that are covered by Moonbird, Seawatch 3 and Searchwing drone shows remarkable differences. Sweep width and speed define the raw search area per hour. However the Moonbird starts in Malta and so only part of the time is accounted to search. For the Searchwing drone the area within 4 km of the launching vessel does not count. The analysis shows that the performance of the drone can be increased substantially by increasing the sweep width.

The discussion in the chapter search theory shows that it is not required to detect every boat in the image but that there might be an optimum when the image width is increased even when not all boats are detected. The relevant parameter is the detection probability which will decrease with


Figure 9: Definite Range and Inverse Cube Sensors with equal sweep width $W=5 \mathrm{~km}$

Table 7: Comparison of search vehicles

| Searcher | Sweep Width <br> km | Speed <br> $\mathrm{km} / \mathrm{h}$ | Raw area per h <br> $\mathrm{km}^{2} / \mathrm{h}$ | Adj. area per day <br> $\mathrm{km}^{2} / \mathrm{d}$ | Remark |
| :---: | :--- | :--- | :--- | :--- | :--- |
| Moonbird | 4.3 | 285 | 1225 | 6243 | Start in Malta |
| Seawatch 3 | 9.3 | 10 | 93 | 930 | 10h per day |
| Searchwing | 0.66 | 50 | 33 | 303 | 100km per flight |
| Searchwing | 2 | 50 | 100 | 920 | Inc. sweep width |

distance from the drone. However, maybe the equivalant sweep width might be larger compared to a pretty small image width where $100 \%$ of all boats are detected. This is illustrated in figure 9 .

Sentientvision offers a camera device including image recognition which can be attached to a Boing ScanEagle UAV which has wingspan of 3.1 m and a mass of 20 kg [6]. According to the datasheet a six person liferaft can be detected within a range of 3.5 nautical miles, i.e. 6.5 km . If this detection is very probable, then this would yield a sweep width of 13 km . The Vidar is equipped with a 9 megapixel camera which is attached to a gimbal that scans the heading 180 degrees. This indicates that there is some room for improvement regarding the camera and image processing.

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